#### **Deconstructing** Data Science

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Info 290 Lecture 3: Classification overview

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### Auditors

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# Classification

A mapping *h* from input data x (drawn from instance space  $\mathcal{X}$ ) to a label (or labels) y from some enumerable output space  $\mathcal{Y}$ 

X = set of all skyscrapers $Y = \{art deco, neo-gothic, modern\}$ 

x = the empire state building y = art deco

#### Recognizing a Classification Problem

- Can you formulate your question as a *choice* among some universe of possible classes?
- Can you create (or find) labeled data that marks that choice for a bunch of examples? Can you make that choice?
- Can you create features that might help in distinguishing those classes?

- 1. Those that belong to the emperor
- 2. Embalmed ones
- 3. Those that are trained
- 4. Suckling pigs
- 5. Mermaids (or Sirens)
- 6. Fabulous ones
- 7. Stray dogs



- 8. Those that are included in this classification
- 9. Those that tremble as if they were mad
- 10. Innumerable ones
- 11. Those drawn with a very fine camel hair brush
- 12. Et cetera
- 13. Those that have just broken the flower vase
- 14. Those that, at a distance, resemble flies

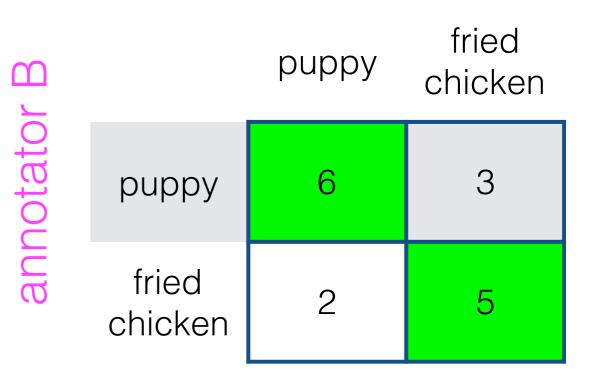
Conceptually, the most interesting aspect of this classification system is that it does not exist. Certain types of categorizations may appear in the imagination of poets, but they are never found in the practical or linguistic classes of organisms or of man-made objects used by any of the cultures of the world.

> Eleanor Rosch (1978), "Principles of Categorization"

### Interannotator agreement



annotator A

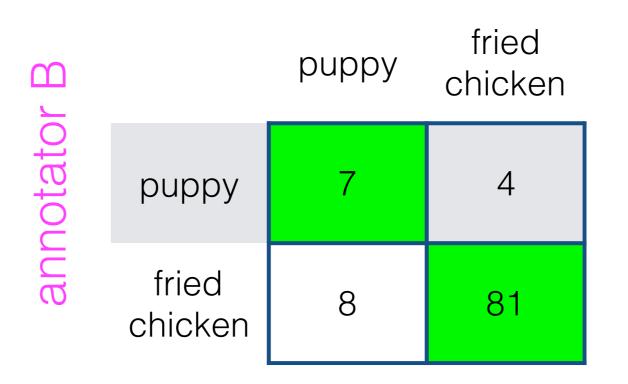


observed agreement = 11/16 = 68.75%

https://twitter.com/teenybiscuit/status/705232709220769792/photo/1

• If classes are imbalanced, we can get high inter annotator agreement simply by chance

#### annotator A



 If classes are imbalanced, we can get high inter annotator agreement simply by chance

annotator A

 Expected probability of agreement is how often we would expect two annotators to agree assuming independent annotations

$$p_e = P(A = \text{puppy}, B = \text{puppy}) + P(A = \text{chicken}, B = \text{chicken})$$

= P(A = puppy)P(B = puppy) + P(A = chicken)P(B = chicken)

= P(A = puppy)P(B = puppy) + P(A = chicken)P(B = chicken)

P(A=puppy)	15/100 = 0.15
P(B=puppy)	11/100 = 0.11
P(A=chicken)	85/100 = 0.85
P(B=chicken)	89/100 = 0.89

$$= 0.15 \times 0.11 + 0.85 \times 0.89$$
  
= 0.773

С С		puppy	fried chicken
annotator	puppy	7	4
anr	fried chicken	8	81

annotator A

 If classes are imbalanced, we can get high inter annotator agreement simply by chance

$$\kappa = \frac{p_o - p_e}{1 - p_e} \qquad \qquad \text{annotator A}$$

$$\kappa = \frac{0.88 - p_e}{1 - p_e} \qquad \qquad \text{puppy} \quad \frac{\text{fried}}{\text{chicken}}$$

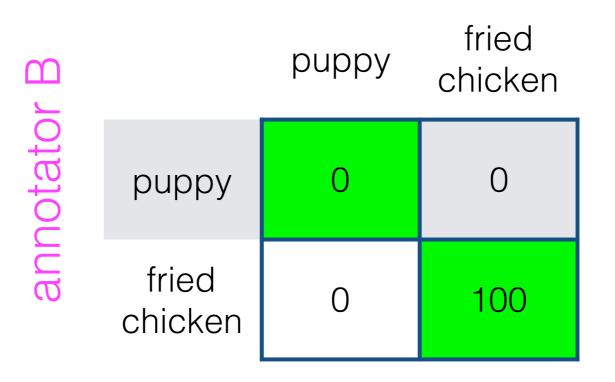
$$\kappa = \frac{0.88 - 0.773}{1 - 0.773} \qquad \qquad \text{fried} \quad 8 \qquad 81$$

= 0.471

• "Good" values are subject to interpretation, but rule of thumb:

0.80-1.00	Very good agreement
0.60-0.80	Good agreement
0.40-0.60	Moderate agreement
0.20-0.40	Fair agreement
< 0.20	Poor agreement

#### annotator A



#### annotator A

Ē		puppy	fried chicken
annotator	puppy	50	0
anr	fried chicken	0	50

# Interannotator agreement

- Cohen's kappa can be used for any number of classes.
- Still requires two annotators who evaluate the same items.
- Fleiss' kappa generalizes to multiple annotators, each of whom may evaluate different items (e.g., crowdsourcing)

# Classification problems

### Classification



# Evaluation

- For all supervised problems, it's important to understand how well your model is performing
- What we try to estimate is how well you will perform in the future, on new data also drawn from  $\pmb{\mathcal{X}}$
- Trouble arises when the training data <x, y> you have does not characterize the full instance space.
  - n is small
  - sampling bias in the selection of <x, y>
  - x is dependent on time
  - y is dependent on time (concept drift)

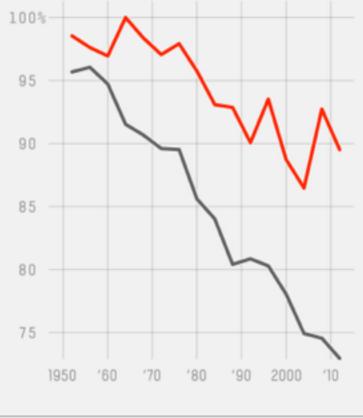
## Drift

#### The GOP has grown whiter, older and less educated than the population overall

Share of voters **65 years old** and up

☑ FIVETHIRTYEIGHT

Share of voters who are non-Hispanic white

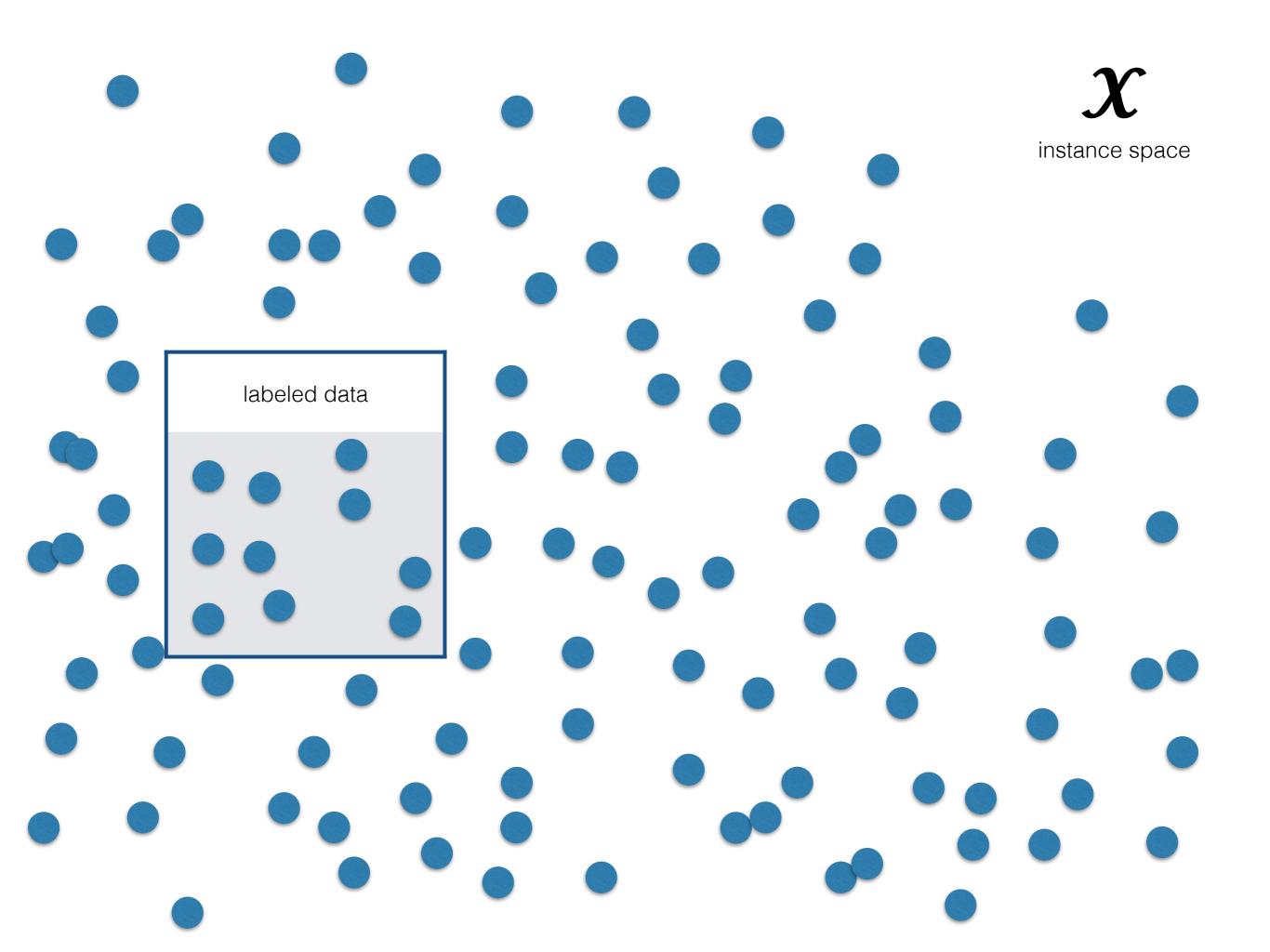


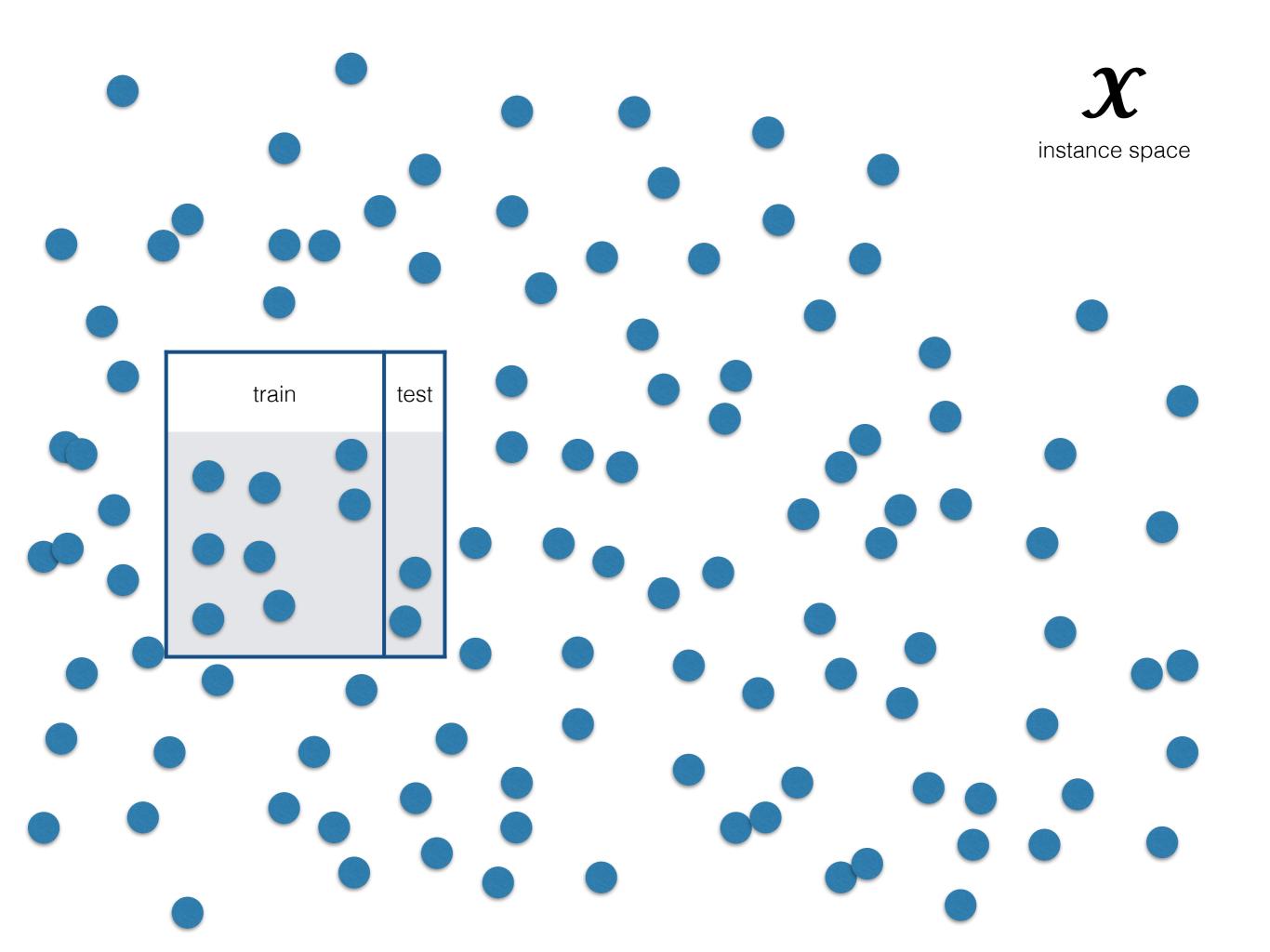
Share of voters who are non-Hispanic white and **do not have a college degree** 



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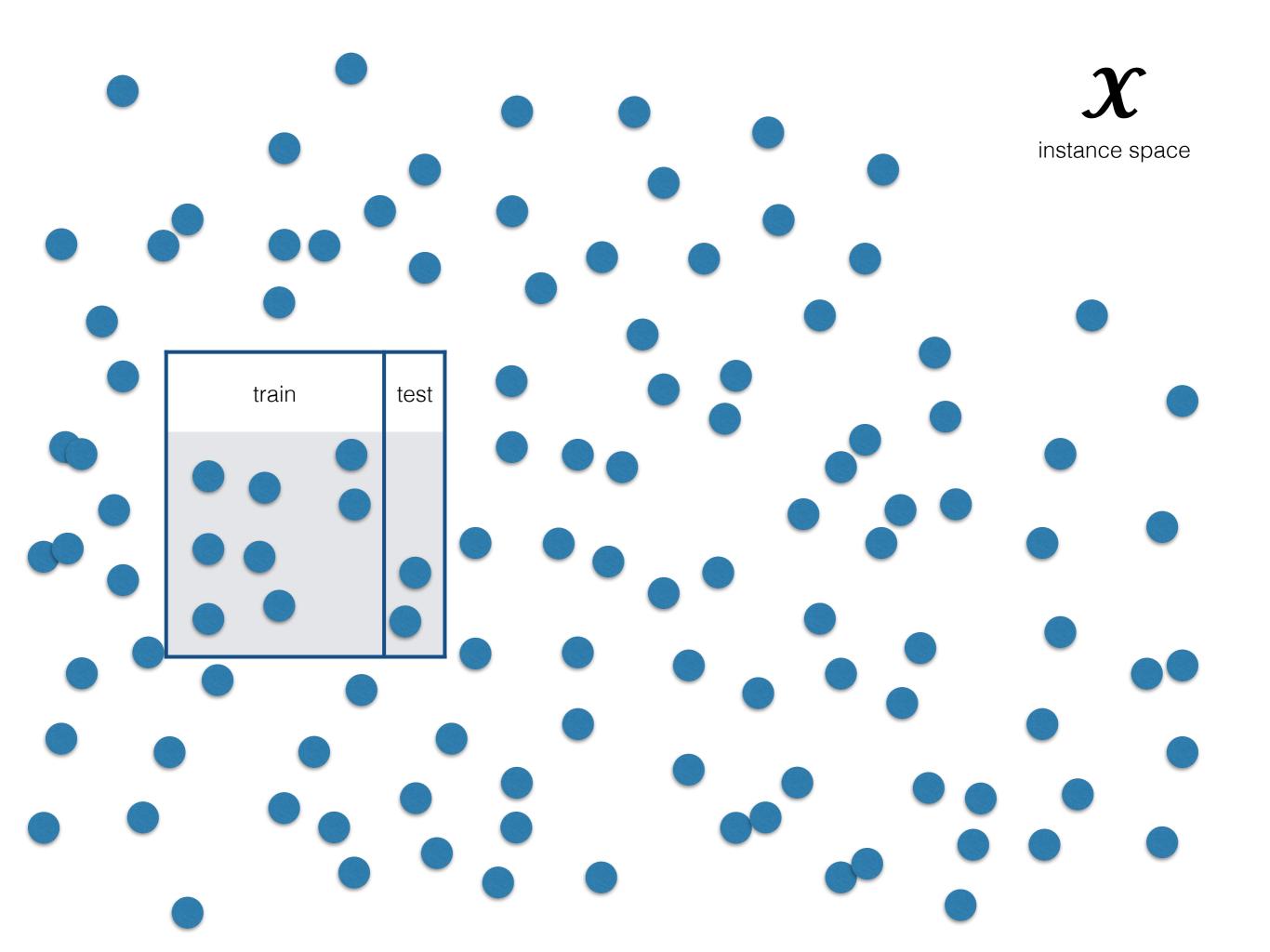
#### http://fivethirtyeight.com/features/the-end-of-a-republican-party/

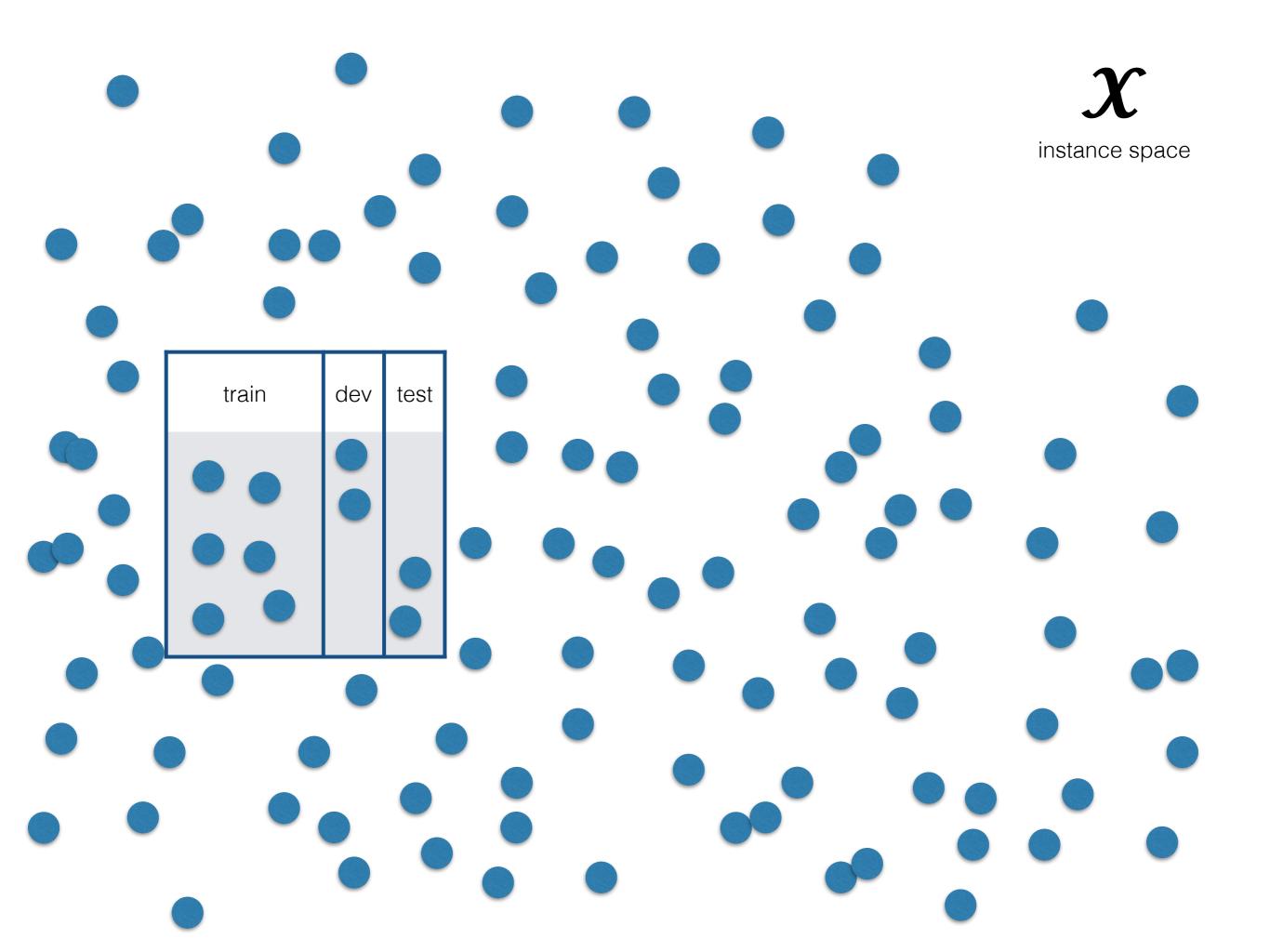




# Train/Test split

- To estimate performance on future unseen data, train a model on 80% and test that trained model on the remaining 20%
- What can go wrong here?





# Experiment design

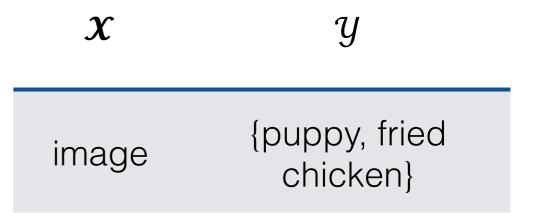
	training	development	testing
size	80%	10%	10%
purpose	training models	model selection	evaluation; never look at it until the very end

# Binary classification



• Binary classification:  $|\mathcal{Y}| = 2$ 

[one out of 2 labels applies to a given x]



https://twitter.com/teenybiscuit/status/705232709220769792/photo/1



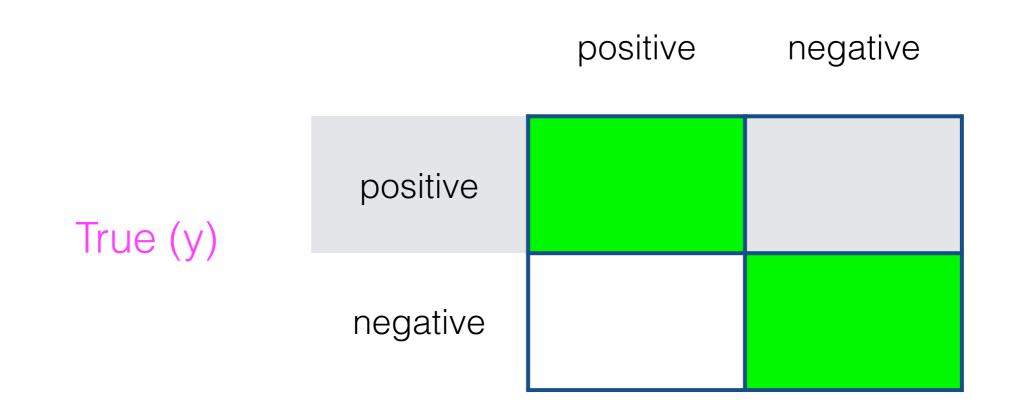


$$\frac{1}{N} \sum_{i=1}^{N} I[\hat{y}_i = y_i] \qquad I[x] = \begin{cases} 1 & \text{if } x \text{ is true} \\ 0 & \text{otherwise} \end{cases}$$

Perhaps most intuitive single statistic when the number of positive/negative instances are comparable

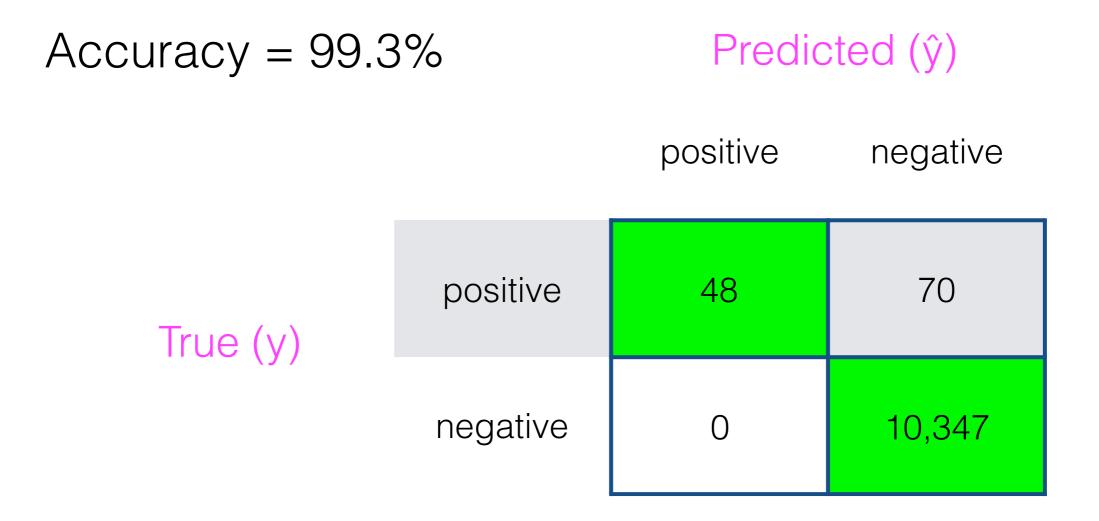
# Confusion matrix

Predicted (ŷ)





# Confusion matrix



= correct

# Sensitivity

True (y)

Sensitivity: proportion of true positives actually predicted to be positive

(e.g., sensitivity of mammograms = proportion of people with cancer they identify as having cancer)

a.k.a. "positive recall," "true positive"

$$\frac{\sum_{i=1}^{N} I(y_i = \hat{y}_i = \text{pos})}{\sum_{i=1}^{N} I(y_i = \text{pos})}$$

Predicted (ŷ)

	positive	negative
positive	48	70
negative	0	10,347

# Specificity

*Specificity*: proportion of true negatives actually predicted to be negative

(e.g., specificity of mammograms = proportion of people without cancer they identify as not having cancer)

a.k.a. "true negative"

$$\frac{\sum_{i=1}^{N} I(y_i = \hat{y}_i = \text{neg})}{\sum_{i=1}^{N} I(y_i = \text{neg})}$$

Predicted (ŷ)

positive negative

e (y)	positive	48	70
Tru	negative	0	10,347

# Precision

*Precision*: proportion of predicted class that are actually that class. I.e., if a class prediction is made, should you trust it?

True (y)

Predicted (ŷ)

positive negative

Precision(pos) =

$$\frac{\sum_{i=1}^{N} I(y_i = \hat{y}_i = pos)}{\sum_{i=1}^{N} I(\hat{y}_i = pos)}$$

positive4870negative010,347

### Baselines

- No metric (accuracy, precision, sensitivity, etc.) is meaningful unless contextualized.
  - Random guessing/majority class (balanced classes = 50%, imbalanced can be much higher)
  - Simpler methods (e.g., election forecasting)

## Scores

 Binary classification results in a categorical decision (+1/-1), but often through some intermediary score or probability

$$\hat{y} = \begin{cases} 1 & \text{if } \sum_{i=1}^{F} x_i \beta_i \ge 0\\ -1 & 0 \text{ otherwise} \end{cases}$$

Perceptron decision rule

### Scores

• The most intuitive scores are probabilities:

P(x = pos) = 0.74P(x = neg) = 0.26

# Multilabel Classification

Multilabel classification: |y| > 1
 [multiple labels apply to a given x]

task	X	y
image tagging	image	{fun, B&W, color, ocean,}



# Multilabel Classification

- For label space *Y*, we can view this as | *Y* | binary classification problems
- y<sup>1</sup> fun O y<sup>2</sup> B&W O

- Where y<sup>j</sup> and y<sup>k</sup> may be dependent
- (e.g., what's the relationship between y<sup>2</sup> and y<sup>3</sup>?)

y<sup>2</sup> B&W 0 y<sup>3</sup> color 1 y<sup>5</sup> sepia 0  $v^6$  ocean 1

# Multiclass Classification

• Multiclass classification:  $|\mathcal{Y}| > 2$ [one out of N labels applies to a given x]

task	X	y
authorship attribution	text	{jk rowling, james joyce,}
genre classification	song	{hip-hop, classical, pop,}

#### Multiclass confusion matrix

#### Predicted (ŷ)

Democrat

Republican Ind

Independent

Democrat	100	2	15
Republican	0	104	30
Independent	30	40	70

True (y)

## Precision

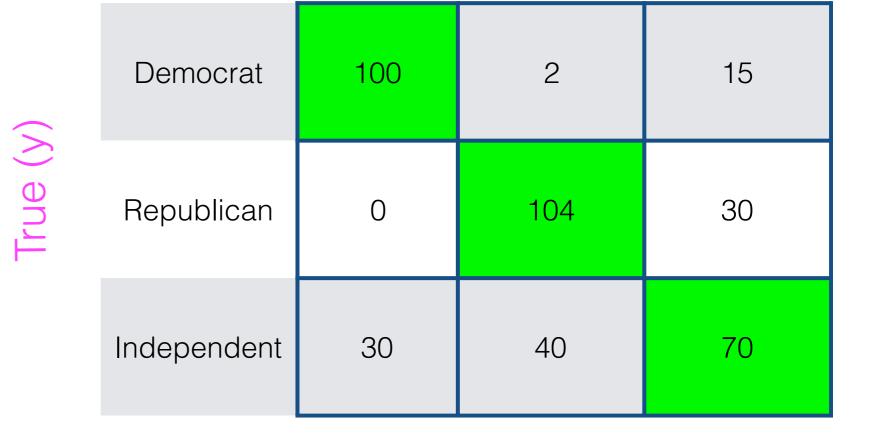
Precision(dem) =

$$\frac{\sum_{i=1}^{N} I(y_i = \hat{y}_i = dem)}{\sum_{i=1}^{N} I(\hat{y}_i = dem)}$$

#### Predicted (ŷ)

Democrat Republican Independent

*Precision*: proportion of predicted class that are actually that class.



### Recall

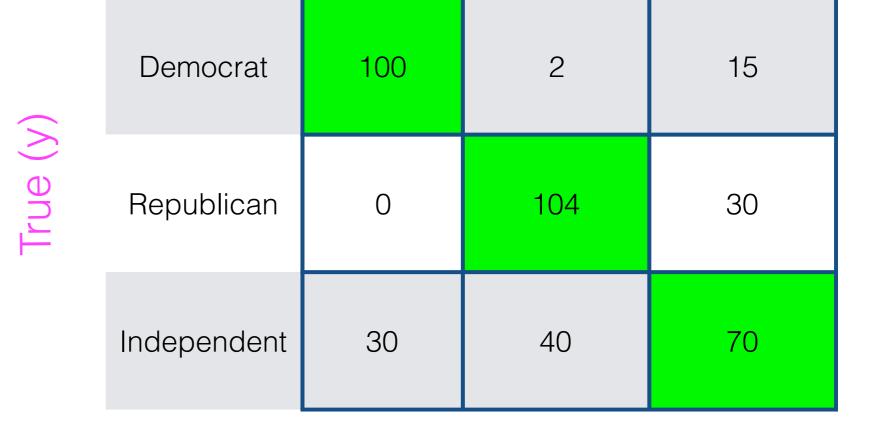
Recall(dem) =

$$\frac{\sum_{i=1}^{N} I(y_i = \hat{y}_i = dem)}{\sum_{i=1}^{N} I(y_i = dem)}$$

#### Predicted (ŷ)

Democrat Republican Independent

Recall = generalized sensitivity (proportion of true class actually predicted to be that class)



	Democrat	Republican	Independent
Precision	0.769	0.712	0.609
Recall	0.855	0.776	0.500

#### Predicted (ŷ)

Democrat Republican Independent

	Democrat	100	2	15
True (y)	Republican	0	104	30
	Independent	30	40	70

- Lazer et al. (2009), Computational Social Science, Science.
- Grimmer (2015), We Are All Social Scientists Now: How Big Data, Machine Learning, and Causal Inference Work Together, APSA.

- Unprecedented amount of born-digital (and digitized) information about human behavior
  - voting records of politicians
  - online social network interactions
  - census data
  - expression of opinion (blogs, social media)
  - search queries
- Project ideas: "enhancing understanding of individuals and collectives"

 How are people-as-data different from other forms of data? (e.g., physical/natural/biological objects)

- Draws on long traditions and rich methodologies in experimental design, sampling bias, causal inference. Accurate inference requires "thoughtful measurement"
- All methods have assumptions; part of scholarship is arguing where and when those assumptions are ok
- Science requires replicability. Assume your work will be replicated and document accordingly.